

Modeling the EM Field Distribution within a Computer Chip Package

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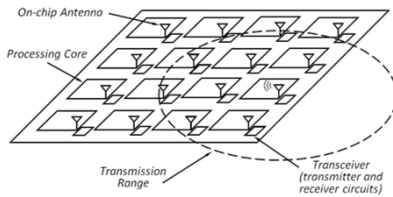
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I. Solution for the intra-chip channel study limitations

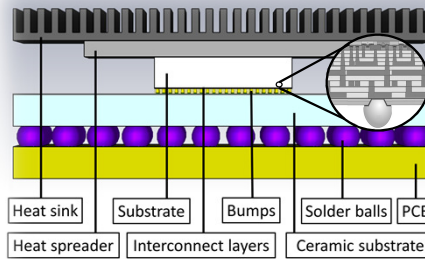
Motivation

- Network-on-Chip (NoC) is the paradigm of choice to interconnect cores and memory within a Chip MultiProcessor.

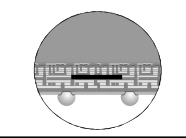


- The wireless network in a NoC helps **escalating** the number of cores, but it is crucial to know the **channel** behavior of the chip.

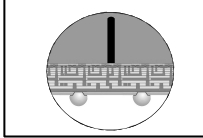
Structure of the chip package



Aperture antenna

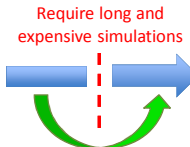


Monopole antenna



Problem and solution

Study of the channel



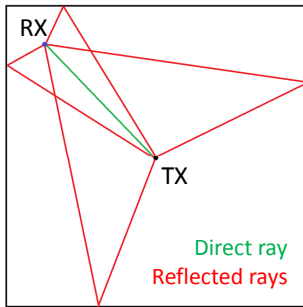
The analytical model overcomes this issue

- We propose an analytical model based on **ray tracing**.
- The results will be accurate enough to perform **massive** parametric simulations before going to fine-grain studies.
- To simplify and **accelerate** the computation, only the most important **multipath components** are considered.

II. The Model

Multipath components

- Direct ray:** Strongest and most important component.
- Reflected rays:** reflected **once** at the heatsink or lateral boundaries of the chip.



Model equations

We modeled the Electric field magnitude as:

$$E_{mag,d} = e^{-\alpha d} e^{-j\beta d}$$

The constants α and β can be expressed as:

$$\alpha = \frac{\pi\sqrt{\epsilon_r}}{\lambda} \tan(\delta) \quad \beta = \frac{2\pi}{\lambda_0} \sqrt{\epsilon_r}$$

The field magnitude of the reflected rays can be expressed as:

$$E_{ref,heatsink} = T_{SiO_2,Si} R_{Al} T_{Si,SiO_2} E_{direct}$$

Transmission coefficient between SiO_2 and Si Reflection coefficient of Aluminum Transmission coefficient between Si and SiO_2

Near field region

- In the near field region of the transmitting antenna, the prior equations do not hold.

$$\frac{\lambda_0}{\sqrt{\epsilon_r}} \approx 1.3 \text{ mm}$$

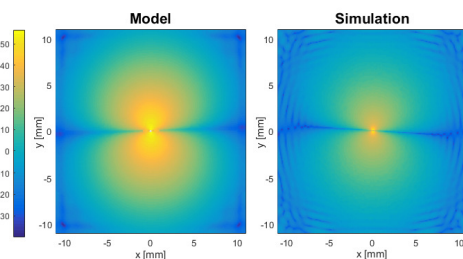
- Near field laws** dominate the propagation in this area
- Specific near-field **equations** were used in the region $d \leq 1.3 \text{ mm}$

$$P_{RX} \sim |E^2| \sim \frac{1}{(kd)^2} + \frac{1}{(kd)^4} + \frac{1}{(kd)^6}$$

Propagation constant

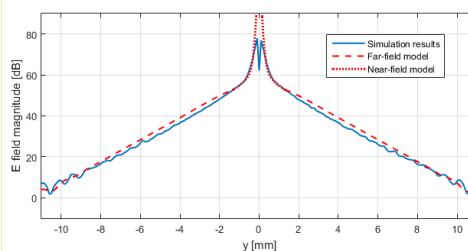
III. Matching with simulation results

E-Field magnitude



- The predicted E-field magnitude matches well **except** for the **near field region**.
- The near field region is corrected using the near-field **model**.

Far and near field convergence



E-field magnitude at the intersection of $X=0$ and $Z=0$ planes

- Combining the two models for their corresponding regions of application, the results match with **high accuracy**.

Conclusion

- This model could compute the electric field intensity inside the chip reducing the computational time **several orders of magnitude** with an average mismatch of only **1.7 dB**.

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